



# Bluebonnet Learning Secondary Math: Teacher Lesson Internalization

Santa Maria ISD Middle School Math 1<sup>st</sup> Six Weeks Workshop # 383798 Check In Code: Math

# Meet your facilitator

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- Bluebonnet Certified Math Presenter
- Eureka Math Certified Presenter
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- RBIS Certified Presenter
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# Norms for Session



#### Engagement



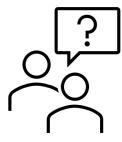
This work will support your students. Be an active participant in all learning experiences by sharing your thoughts, asking questions, and keeping your video on as you are able.

#### Partnership



We are partners and our time is valuable. Please raise your hand and wait until others have finished their thoughts before you begin speaking.

#### Curiosity



We value your questions and will pause throughout our time together to answer questions in the chat.

#### Grace



Learning a new product for your subject can be challenging. You won't leave today or even this year as experts. It's okay to walk away without a feeling of closure.

# The Planning Process – Backward Design

- Stage 1 Identify Desired Results
  - > What should the students know and be able to do after this unit?
- Stage 2 Determine Acceptable Evidence of Learning
  - ➤ How will students demonstrate what they know and can do?
- Stage 3 Plan Learning Experiences
  - > What learning experiences are needed to equip students with the knowledge and skills?

#### **Teacher Lesson** Internalization Protocol

#### **PREWORK**

- · Reread the Topic Overview and big ideas from internalizing the topic.
- · Read the Facilitation Notes.

#### Purpose of Prework

The Teacher Lesson Internalization Protocol provides a step-by-step process for understanding each lesson prior to teaching, including what students will learn, how students are assessed, and how teachers can support all learners in meeting the rigor of the instructional materials. By using lesson internalization, teachers deepen the understanding developed through the Teacher Module and Topic Internalization Protocol.



Understand the lesson purpose and objectives.

#### Use the Facilitation Notes and Topic Overview:

Read the Lesson Overview, Texas Essential Knowledge and Skills (TEKS), TEKS Mathematical Process Standards, English Language Proficiency Standards (ELPS), and Essential Ideas. Highlight and/or record your understanding. Determine the knowledge and skills students will gain as a result of this learning experience. Consider both the Learning Together and Learning Individually experiences.



Understand the sequence and pacing of activities.

#### Use the Facilitation Notes

Read the Facilitation Notes, including the Lesson Structure and Pacing, to understand how the lesson unfolds and identify suggested number of days (pacing) for each lesson as well as the time (pacing) for each activity. Highlight, annotate, and/or record your understanding.

#### Use a blank copy of the Student Lesson:

- . Complete the lesson's Getting Started, Activities, and Talk the Talk to display exemplar responses.
- . Determine appropriate locations within the lesson for aligned and appropriately-rigorous, formative assessments, considering the exemplar responses to help determine the placement of Learning Individually days within the Topic Pacing from the Module and Topic Internalization.



Prepare to teach each activity with an activity deep dive.

#### Use the Lesson

- . Examine how each lesson component builds to support the learning of the objective of the topic/lesson.
- . Determine the most critical takeaways from each key component and make instructional decisions for lesson delivery aligned to the specific purpose of each component. Use the Stamp the Learning icon to identify appropriate moments in the lesson to model, explain, and communicate the essential ideas to be learned directly and explicitly.
- · Create or identify exemplar and example responses to questions and tasks. Use the Problem-Solving Model Graphic Organizer to create an exemplar response and use the Modeling Moment teacher notes to facilitate moments of productive struggle when applicable.
- · Examine embedded supports and select the appropriate supports to use in the lesson for diverse learners (emergent bilingual, gifted and talented, and students with disabilities).
- . Examine the Skills Practice notes that connect to the lesson. Look at the Skills Practice sections that align to each part of the lesson.



Organize your resources.

#### Use the Materials portion of the Facilitation Notes

- · Locate needed resources, supplies, and/or created materials.
- Identify additional supplies needed for any differentiation strategies or EB Student Tips to offer customizations/supports for groups of students.

#### **Check List for the Internalization Process**

- 1) Read, highlight and annotate the module & topic overviews
- 2) Review the YAG, pacing guide & annotate any time stamps
- 3) Review the topic assessemnt, scoring guide & response to student performance documents
- 4) On the topic assessment, annotate the TEKS, (R or S), pts, skill practice and lesson assignment
- 5) Use TCMPC to make the STAAR connection & rank the items level of importance (V), (VV) or (VVV).
- 6) In the skill practice book, select the exercises and problem sets that student will work on during the learning individually days
- 7) Review the Talk the Talk Activity or select STAAR exit tickets for students to complete after the lesson.
- 8) Prep for lesson delivery (Slide decks, gather materials, etc...)

#### **GRADE 6: YEAR-AT-A-GLANCE**

TEKS Mathematical Process Standards are embedded in every module: 6.1A, 6.1B, 6.1C, 6.1B, 6.1C, 6.1B, 6.1F, 6.1G					
Module	Module Topic Pacing* TEKS*				
1	1: Factors and Multiples	12	<b>6.2D</b> , 6.2E, 6.3A, 6.3B, <b>6.3E</b> , 6.4F, 6.5C, <b>6.7A</b> , <b>6.7D</b> , <b>6.8D</b>		
Composing and	2: Shapes and Solids	9	6.8A, 6.8B, 6.8C, <b>6.8D</b>		
Decomposing	3: Decimals	5	6.2C, <b>6.2D</b> , <b>6.3E</b> , <b>6.8D</b>		
	26				
	1: Ratios and Rates	18	6.4A, <b>6.4B</b> , 6.4C, 6.4D, 6.4E, 6.5A, 6.5C, <b>6.6C</b>		
2 Relating Quantities	2: Percents	8	6.2C, <b>6.2D</b> , <b>6.3E</b> , 6.4E, 6.4F, <b>6.4G</b> , <b>6.5B</b> , 6.5C		
relating Quantities	3: Unit Rates and Conversions	10	<b>6.4B</b> , 6.4D, <b>6.4H</b> , 6.5A		
36					
3	1: Signed Numbers and the Four Quadrants	9	6.2A, 6.2B, 6.2C, <b>6.2D, 6.11A</b>		
Moving Beyond	2: Operating with Integers	13	6.3C, <b>6.3D</b>		
Positive Quantities		22			



# Gir Cir Mails

#### MODULE 1, TOPIC 1 PACING GUIDE

150-Day Pacing

1 DAY PACING = 45-MINUTE SESSION

This activity highlights a key term or concept that is essential to the learning goals of the lesson.

Day 1	Day 2	Day 3	Day 4	Day 5
TEKS: 6.7D, 6.8D  LESSON 1  Writing Equivalent Expressions Using the Distributive Property GETTING STARTED  ACTIVITY 1  TALK THE TALK	TEKS: 6.7A, 6.8D  LESSON 2  Identifying  Common Factors and Common  Multiples  GETTING STARTED  ACTIVITY 1 0  ACTIVITY 2 0	LESSON 2 continued ACTIVITY 3 © ACTIVITY 4 © TALK THE TALK	LEARNING INDIVIDUALLY Skills Practice This is a suggested placement. Move based on student data and individual needs.	TEKS: 6.4F, 6.5C  LESSON 3  Dividing a Whole into Fractional Parts  GETTING STARTED © ACTIVITY 1 © TALK THE TALK ©
Day 6	Day 7	Day 8	Day 9	Day 10
TEKS: 6.2D, 6.4F  LESSON 4  Benchmark  Fractions  GETTING STARTED  ACTIVITY 1  ACTIVITY 2  TALK THE TALK	TEKS: 6.38, 6.3E  LESSON 5  Multiplying Fractions  GETTING STARTED  ACTIVITY 1 0  ACTIVITY 2 0  TALK THE TALK 0	LEARNING INDIVIDUALLY Skills Practice This is a suggested placement. Move based on student data and individual needs.	TEKS: 6.2E, 6.3A, 6.3E  LESSON 6  Fraction by  Fraction Division  GETTING STARTED ©  ACTIVITY 1 ©  ACTIVITY 2 ©	LESSON 6 continued ACTIVITY 3 ACTIVITY 4 TALK THE TALK
Day 11  LEARNING INDIVIDUALLY  Skills Practice This is a suggested placement. Move based on student data and individual needs.	Day 12 END OF TOPIC ASSESSMENT			

\*Bold TEKS = Readiness Standard





#### Teacher Module and Topic Internalization Protocol



#### Teacher Module and Topic Internalization Protocol

#### **PREWORK**

Read the Module Overview and highlight, annotate, or record your thoughts on the progression of content in the module.

#### Purpose

The Teacher Module and Topic Internalization Protocol provides a step-bystep process for understanding each module and topic prior to teaching, including what students will learn, how teachers will assess student learning, and the high-level arc of learning. By starting with module and topic internalization, teachers can understand how each lesson fits into the big picture prior to using the Teacher Lesson Internalization Protocol. Returning to this protocol at the beginning of each new topic within a module helps remind teachers of the connections and coherence between the topics in the module.



#### Understand the big picture.

#### USE THE MODULE AND TOPIC OVERVIEW

Revisit the Module Overview and annotations created as part of the prework. Read the Topic Overview. Identify how the module utilizes the concreterepresentational-abstract (CRA) progression to build student learning from lesson to lesson. Identify new key terms and symbols. Use the cognates and the How can you use cognates to support EB students? section in the Topic Overview to start planning supports for emergent bilingual students.

#### USE THE SCOPE AND SEQUENCE AND TOPIC PACING GUIDE

Identify how many days are needed for both Learning Together and Learning Individually experiences. Remember that Learning Individually days should be scheduled strategically throughout the topic to support student learning based on formative assessment data.

#### REFLECT

Why is this topic important? How does it connect to prior topics,

#### **Directions**

- 1. Open the Module and Topic Internalization Protocol and the 6th Grade Module 1, Topic 1 Teacher Edition.
- 2. Read through the protocol and skim through the first 6th Grade Topic: Factors and Multiples. Focus in on Module Overview, Topic Overview and End of Topic Assessment.



#### Consider and be ready to share:

- How can this protocol guide you in lesson planning and curriculum alignment?
- How does this protocol help ensure students' deep understanding of content?



#### **TOPIC 1 OVERVIEW**

#### **Factors and Multiples**

#### How are the key concepts of Factors and Multiples organized?

Students begin the topic with an introductory lesson on problem solving. They will use this model throughout the course when solving problems. Students then extend their knowledge of area and numbers to compose and decompose areas that represent numeric expressions. They decompose numbers into factors and apply the distributive property to compute products efficiently. Students use the distributive property to express the sum of two numbers as a product of two factors. They then use their knowledge of factors to determine the greatest common factors and least common multiples

Students continue to engage in reasoning as they create and use physical models to represent and compare fractions as well as to determine equival

fractions. They begin moving from concrete models to abstract thinki when they connect strip diagrams to number lines to represent and of fractions. Students reason about the relative size of a fraction by con it to a benchmark fraction and investigating the relationship betwee numerator and denominator. Students then consider how to decomp area models that represent fraction multiplication. They relate multip and division before investigating strategies for dividing fractions. Lea multiple division strategies and using visual models focuses students reasoning and conceptual understanding as they increase fluency with dividing fractions.

#### Math Representation

The model shows  $\frac{3}{4} \div \frac{1}{4}$ .

The division expression asks. "How many  $\frac{1}{4}$ s are in  $\frac{3}{4}$ ?"



Although algorithms for fraction multiplication and division are discu this topic, students may not achieve fluency within the timeline allow this topic. Fluency requires time and practice, and students will contin develop fluency with fraction operations throughout the course.

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#### 1 DAY PACING = 45-MINUTE SESSION

#### 15 SESSIONS 14 LEARNING • 1 ASSESSMENT

#### TOPIC 1 Factors and Multiples

Learning Together: 11 Sessions TEKS: 6.2D, 6.2E, 6.3A, 6.3B, 6.3E

6.4F 6.5C 6.7A, 6.7D, 6.8D

Students explore the relationship between numbers and area.

 Students use the Distributive Property to write equivalent numeric expression: and calculate the greatest common factor (GCF) and least common multiple (LCM)

· Students connect area models, factors, and multiples using arithmetic properties

 Students review fraction multiplication and draw on the inverse relationship between multiplication and division to develop fraction by fraction division.

Learning Individually: 3 Sessions Targeted Skills Practice for Factors Students use properties to compose and decompose numeric expression

 Students determine prime factorizations and the GCF and LCM of number pairs Students determine equivalent fractions and compare fractions to

· Students create visual models for fraction multiplication and fraction divisio

. Students calculate products and quotients of fractions.

#### 9 LEARNING • 1 ASSESSMENT

#### TOPIC 2 Shapes and Solids

Learning Together: 7 Sessions

TEKS: 6.8A, 6.8B, 6.8C, 6.8D

Students compose and decompose shapes-parallelograms, triangles, and trapezoids-into shapes with known area formulas

. Students study the relationships of angles and side lengths of triangles

 Students model the area formulas for parallelograms, transposids, and triangles by decomposing and composing parts of shapes due to the additive nature of area.

. Students deepen their understanding of volume of rectangular prisms with

Learning Individually: 2 Sessions Targeted Skills Practice for

Shapes and Solids

 Students use the Triangle Inequality Theorem to determine whether three side lengths can form a triangle.

. Students determine unknown angles in a triangle and compare the length of the sides of triangles

. Students identify the base(s) and corresponding height for given figures

. Students calculate the area of parallelograms, triangles, and trapezoids

· Students determine the volume of right rectangular prisms



# **Step 1: Understand the Big Picture**

Understand the big picture.

#### USE THE MODULE OVERVIEW AND TOPIC OVERVIEW

Revisit the Module Overview and annotations created as part of the prework. Read the Topic Overview. Identify how the module utilizes the concreterepresentational-abstract (CRA) progression to build student learning from lesson to lesson. Identify new key terms and symbols. Use the cognates and the How can you use cognates to support EB students? section in the Topic Overview to start planning supports for emergent bilingual students.

Consider and be ready to share: Why is this topic important? How does it connect to prior topics, if applicable?

#### 1 DAY PACING = 45-MINUTE SESSION

#### 15 SESSIONS

14 LEARNING • 1 ASSESSMENT

#### **TOPIC 1** Factors and Multiples

**Learning Together:** 11 Sessions

TEKS: **6.2D**, 6.2E, 6.3A, 6.3B, **6.3E**, 6.4F, 6.5C, **6.7A**, **6.7D**, **6.8D** 

Students explore the relationship between numbers and area.

- Students use the Distributive Property to write equivalent numeric expressions and calculate the greatest common factor (GCF) and least common multiple (LCM) of pairs of numbers.
- Students connect area models, factors, and multiples using arithmetic properties as tools for exploration.
- Students review fraction multiplication and draw on the inverse relationship between multiplication and division to develop fraction by fraction division.

**Learning Individually:** 3 Sessions

Targeted Skills Practice for Factors and Multiples

- Students use properties to compose and decompose numeric expressions.
- Students determine prime factorizations and the GCF and LCM of number pairs.
- Students determine equivalent fractions and compare fractions to benchmark fractions.
- Students create visual models for fraction multiplication and fraction division.
- Students calculate products and quotients of fractions.



#### **MODULE 1 OVERVIEW**

TEKS\* Addressed:

6.2C, **6.2D**, 6.2E, 6.3A, 6.3B, **6.3E**, 6.4F, 6.5C, **6.7A**, **6.7D**, 6.8A, 6.8B, 6.8C, **6.8D** 

\*Bold TEKS = Readiness Standard

#### **Composing and Decomposing**

Sessions: 31

#### Why is this module named Composing and Decomposing?

Throughout Grade 6, students reason, look for structure, and make connections across mathematical strands. *Composing and Decomposing* begins this work by deepening student understanding of numbers and shapes.

As students become more flexible with shapes and numbers, they will better understand their structure, enabling them to develop problem-solving strategies across mathematical strands.

Students learn to approach a problem by decomposing or composing shapes or numbers already understood.

By Grade 6, students have broken down numbers into sums, differences, products, and quotients. Now, students learn to compose and decompose numeric expressions using the distributive property.

Students have determined the areas of squares and rectangles. Now, they calculate the areas of different figures by composing them from rectangles.

#### The Research Shows . . .

"Understanding of and proficiency with measurement should flourish in the middle grades, especially in conjunction with other parts of the mathematics curriculum."

Navigating Through Measurement | Page 4

#### 6th Grade



Read and highlight important information in the module overview?



#### **MODULE 1 OVERVIEW**

TEKS\* Addressed:

6.2C, **6.2D**, 6.2E, 6.3A, 6.3B, **6.3E**, 6.4F, 6.5C, **6.7A**, **6.7D**, 6.8A, 6.8B, 6.8C, **6.8D** 

\*Bold TEKS = Readiness Standard

## **Composing and Decomposing**

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Students have determined the areas of squares and rectangles. Now, they calculate the areas of different figures by composing them from rectangles.

Compose & decompose numbers

2A



6<sup>th</sup> Grade



#### The Research Shows ...

"Understanding of and proficiency with measurement should flourish in the middle grades, especially in conjunction with other parts of the mathematics curriculum."

Navigating Through Measurement | Page 4

#### What is the mathematics of Composing and Decomposing?

Composing and Decomposing contains three topics: Factors and Multiples, Shapes and Solids, and Decimals. Students examine the relationships between numbers and shapes using area models to solve problems.

They then determine the areas of shapes and the volume and surface area of solids. Throughout, students strengthen their skills with fraction operations and build fluency with decimal operations.

Topic #1: Factors and multiples

Topic 2: Shapes & Solids

Topic 3: Decimals

MODULE 1 • OVERVIEW 2A





1 DAY PACING = 45-MINUTE SESSION

**Possible Learning Targets** 

6<sup>th</sup> Grade

#### 15 SESSIONS

14 LEARNING • 1 ASSESSMENT

TOPIC 1 Factor

of pairs of numbers.

Learning Together: 11 Sessions

TEKS: **6.2D**, 6.2E, 6.3A, 6.3B, **6.3E**, 6.4F, 6.5C, **6.7A**, **6.7D**, **6.8D** 

Students explore the relationship between numbers and area.

**Learning Individually:** 3 Sessions

Targeted Skills Practice for Factors and Multiples

- Students use the Distributive Property to write equivalent numeric expressions and calculate the greatest common factor (GCF) and least common multiple (LCM)
- Students connect area models, factors, and multiples using arithmetic properties as tools for exploration.
- Students review fraction multiplication and draw on the inverse relationship between multiplication and division to develop fraction by fraction division.
- Students use properties to compose and decompose numeric expressions.
- Students determine prime factorizations and the GCF and LCM of number pairs.
- Students determine equivalent fractions and compare fractions to benchmark fractions.
- Students create visual models for fraction multiplication and fraction division.
- Students calculate products and quotients of fractions.

**2B** 



Bold Teks are Readiness Standards

## How is *Composing and Decomposing* connected to prior learning?

In previous grades, students determined the area of rectangles and used area models to represent the distributive property. They have used this mathematical reasoning to evaluate numeric expressions. Students enter this course with experiences with number and operations in base-ten. They have used previous understandings of multiplication and division to multiply and divide fractions. Specifically, they have done the following things:

- Performed operations with multi-digit whole numbers and with decimals to hundredths
- · Multiplied whole numbers by fractions
- Interpreted fractions as division of the numerator by the denominator
- Divided unit fractions by whole numbers and whole numbers by unit fractions



Prior Knowledge

#### **Math Representation**

The shaded area represents the fraction  $\frac{1}{20}$  because 1 of 20 rectangles is shaded.

So, the shaded area of the rectangle represents the product  $\frac{1}{5} \cdot \frac{1}{4} = \frac{1}{20}$ .

**2C** 



divid

Key Point: Seeing structure in numbers and shapes

#### Decomposing in future learning?

This module supports future learning by building fluency in multiplying and dividing rational numbers at the beginning of the course, allowing students to practice these skills throughout the course.

Composing and Decomposing sets the stage for seeing structure in numbers and shapes. Students will continue to use fractions and decimals in their work with geometric shapes, percents, expressions, equations, graphs, and statistics. They will revisit area, volume, and surface area as they use one-step equations to solve problems.





#### **TOPIC 1 OVERVIEW**

#### **Factors and Multiples**

#### How are the key concepts of Factors and Multiples organized?

Students begin the topic with an introductory lesson on problem solving. They will use this model throughout the course when solving problems. Students then extend their knowledge of area and numbers to compose and decompose areas that represent numeric expressions. They decompose numbers into factors and apply the distributive property to compute products efficiently. Students use the distributive property to express the sum of two numbers as a product of two factors. They then use their knowledge of factors to determine the greatest common factors and least common multiples.

Students continue to engage in reasoning as they create and use physical models to represent and compare fractions as well as to determine equivalent fractions. They begin moving from concrete models to abstract thinking when they connect strip diagrams to number lines to represent and compare fractions. Students reason about the relative size of a fraction by comparing it to a benchmark fraction and investigating the relationship between the numerator and denominator. Students then consider how to decompose area models that represent fraction multiplication. They relate multiplication and division before investigating strategies for dividing fractions. Learning multiple division strategies and using visual models focuses students on reasoning and conceptual understanding as they increase fluency with dividing fractions.

# Math Representation The model shows $\frac{3}{4} \div \frac{1}{4}$ . The division expression asks, "How many $\frac{1}{4}$ s are in $\frac{3}{4}$ ?" $0 \quad \frac{1}{4} \quad \frac{1}{2} \quad \frac{3}{4} \quad 1$

Although algorithms for fraction multiplication and division are discussed in this topic, students may not achieve fluency within the timeline allowed for this topic. Fluency requires time and practice, and students will continue to develop fluency with fraction operations throughout the course.

#### Math Representation

You can use an area model to represent the product 15  $\cdot$  27.

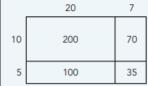
$$15 = 10 + 5$$

Read and highlight

important information

in the Topic I overview?

$$27 = 20 + 7$$



This area model shows the product of  $15 \cdot 27$  as (10 + 5)(20 + 7).

$$15 \cdot 27 = 200 + 100 + 70 + 35 = 405$$

#### What is the entry point for students?

Students enter Grade 6 with experiences using area models to represent multiplication.

The Factors and Multiples topic draws on these experiences to formalize the distributive property and decompose numeric expressions. Students' prior work with factor pairs supports their new learning about least common multiples and greatest common factors.

In previous grades, students began their formal study of fractions. They learned to compare and order fractions, determine equivalent fractions, add and subtract fractions with like and unlike denominators, multiply whole numbers by fractions, and divide whole numbers by unit fractions. This topic builds on students' prior experiences with area models, number lines, and fact families to develop visual models for fraction multiplication and division.

#### Why is Factors and Multiples important?

Factors and Multiples focuses on composing and decomposing numbers and expressions. Students will apply the same properties and terminology to algebraic expressions in the **Determining Unknown Quantities** module, where they will use the distributive property to write equivalent algebraic expressions. Throughout upcoming modules in this course, students will continue to develop fluency with whole-number and fraction operations. They will determine equivalent ratios, percents, and unit rates. Students will evaluate expressions and solve equations that include fractions. They will also investigate negative rational numbers written in a variety of forms.

# Math Representation Isabella $\frac{2}{5}x = 20$ $\frac{\frac{2}{5}x}{\frac{2}{5}} = \frac{20}{\frac{2}{5}}$ $1x = 20(\frac{5}{2})$

x = 50

# Harper $\frac{2}{5}x = 20$ $\left(\frac{5}{2}\right)\frac{2}{5}x = \left(\frac{5}{2}\right)20$ 1x = 50 x = 50



#### 6<sup>th</sup> Grade



#### How does a student demonstrate understanding?

Students will demonstrate an understanding of the standards in Factors and Multiples when they can:

- Apply properties of operations to compose and decompose numbers and shapes to understand the relationship between factors and multiples.
- Create equivalent expressions using the commutative and distributive properties.
- Identify the factors of two whole numbers and determine the greatest common factor.
- Identify the multiples of two whole numbers and determine the least common multiple.
- Generate equivalent numerical expressions using whole number exponents and prime factorization.
- Determine and use equivalent fractions to show equal parts of the same whole.
- Represent and compare benchmark fractions using models, including number lines.
- . Order positive rational numbers in mathematical and real-world contexts.
- Compute products of fractions multiplied by whole numbers and fractions (including mixed numbers).
- Determine whether a quantity is increased or decreased when multiplied by a fraction greater than one or less than one.
- Compute quotients of fractions divided by whole numbers and fractions (including mixed numbers).
- · Interpret quotients of fractions in real-world and mathematical problems.
- Solve real-world problems involving multiplication and division of fractions and mixed numbers using visual models.
- Recognize that dividing by a rational number and multiplying by its reciprocal result in equivalent values.
- Use an algorithm to fluently solve multiplication and division problems with fractions.





#### **NEW KEY TERMS**

- numeric expression [expresión numérica]
- · equation [ecuación]
- distributive property [propiedad distributiva]
- base [base]
- power
- exponent [exponente]
- common factor [factor común]
- · prime factorization
- relatively prime [primos relativos]
- greatest common factor (GCF)
- multiple [múltiple]
- commutative property [propiedad conmutativa]
- least common multiple (LCM) [mínimo común múltiplo]
- unit fraction [fracción unitaria]
- equivalent fraction [fracción equivalente]
- benchmark fractions
- algorithm [algoritmo]
- positive rational number [número racional positivo]
- reciprocal [recíproco]
- · multiplicative inverse
- complex fraction [fracción compleja]

#### **NEW SYMBOL**

Symbol	Description
	Multiplication dot

# How do the activities in *Factors and Multiples* promote student expertise in the TEKS mathematical process standards?

Each topic is written with the goal of creating mathematical thinkers who are active participants in class discourse, so elements of the TEKS mathematical process standards should be evident in all lessons. Students are expected to make sense of problems and work toward solutions, reason using concrete and abstract ideas, and communicate their thinking while providing a critical ear to the thinking of others.

In Factors and Multiples, students begin by examining the problemsolving model (6.1B). They will continue to use this model throughout this course. As students continue in this topic, they use precise mathematical language and analyze mathematical relationships to connect and communicate mathematical ideas (6.1F). This topic provides students with formal language for previously learned concepts; this shared language will allow them to communicate more effectively (6.1G). Throughout the topic, students are encouraged to analyze relationships in numbers and shapes. This topic highlights the need for precision in explanations about and computation of fraction division. They will use a variety of strategies to build an understanding of fraction division and determine when each approach is most efficient (6.1C). Students should use reason to consider the relative sizes of numbers and to determine whether their answers make sense. It is important to develop students' disposition early in the course, encouraging them to self-ask, "How is this similar to another concept?" and "Does my answer make sense based on the information given?"

#### How can you use cognates to support EB students?

Cognates are provided for new key terms when applicable. Encourage students to keep a bilingual math journal, recording reflections and background knowledge on new topics, in either written or verbal format, with added visuals for clarity. Incorporate journal excerpts into a shared word wall or digital bilingual glossary, with a focus on highlighting cognates.



#### **TOPIC 1 OVERVIEW**

# Read and highlight important information in the Topic I overview?

## **Factors and Multiples**

#### How are the key concepts of Factors and Multiples organized?

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#### 6<sup>th</sup> Grade





#### **TOPIC 1 OVERVIEW**

### Factors and Multiples

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Students begin the topic with an ntroductory lesson on problem solving.

They will use this model throughout the course when solving problems.

Students then extend their knowledge of area and numbers to compose and decompose areas that represent numeric expressions. They decompose numbers into factors and apply the distributive property to compute products efficiently. Students use the distributive property to express the sum of two numbers as a product of two factors. They then use their knowledge of factors to determine the greatest common factors and least common multiples.

models to represent and compare fractions as well as to determine equivalent fractions. They begin moving from concrete models to abstract thinking when the connect strip diagrams to number lines to represent and compare fractions. Students reason about the relative size of a fraction by comparing it to a benchmark fraction and investigating the relationship between the numerator and denominator. Students then consider how to decompose area models that represent fraction multiplication. They relate multiplication and division before investigating strategies for dividing fractions. Learning multiple division strategies and using visual models focuses students on reasoning and conceptual understanding as they increase fluency with dividing fractions.

Compose & decompose area and numbers to represent numeric expressions

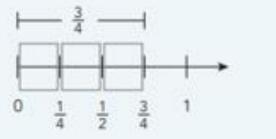
Create and use physical models to represent and compare fractions

Decomposing area models to represent fraction multiplication

#### Math Representation

The model shows  $\frac{3}{4} \div \frac{1}{4}$ .

The division expression asks, "How many  $\frac{1}{4}$ s are in  $\frac{3}{4}$ ?"



Although algorithms for fraction multiplication and division are discussed in this topic, students may not achieve fluency within the timeline allowed for this topic. Fluency requires time and practice, and students will continue to develop fluency with fraction operations throughout the course.



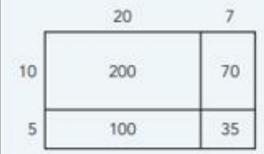


Math Representation

You can use an area model to represent the product 15 · 27.

$$15 = 10 + 5$$

$$27 = 20 + 7$$



This area model shows the product of  $15 \cdot 27$  as (10 + 5)(20 + 7).

$$15 \cdot 27 = 200 + 100 + 70 + 35 = 405$$

#### What is the entry point for students?

Students enter Grade 6 with experiences using area models to represent multiplication.

The Factors and Multiples topic draws on these experiences to formalize the distributive property and decompose numeric expressions. Students' prior work with factor pairs supports their new learning about least common multiples and greatest common factors.

In previous grades, students began their formal study of fractions. They learned to compare and order fractions, determine equivalent fractions, add and subtract fractions with like and unlike denominators, multiply whole numbers by fractions, and divide whole numbers by unit fractions. This topic builds on students' prior experiences with area models, number lines, and fact families to develop visual models for fraction multiplication and division.

Factor pairs, least common multiples & greatest common factors are foundational skill sets

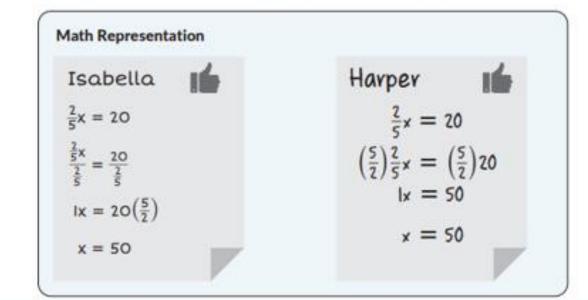






#### Why is Factors and Multiples important?

Factors and Multiples focuses on composing and decomposing numbers and expressions. Students will apply the same properties and terminology to algebraic expressions in the **Determining Unknown Quantities** module, where they will use the distributive property to write equivalent algebraic expressions. Throughout upcoming modules in this course, students will continue to develop fluency with whole-number and fraction operations. They will determine equivalent ratios, percents, and unit rates. Students will evaluate expressions and solve equations that include fractions. They will also investigate negative rational numbers written in a variety of forms.



#### Formative Assessment: Possible Learning Targets



#### How does a student demonstrate understanding?

Students will demonstrate an understanding of the standards in Factors and Multiples when they can:

- Apply properties of operations to compose and decompose numbers and shapes to understand the relationship between factors and multiples.
- Create equivalent expressions using the commutative and distributive properties.
- Identify the factors of two whole numbers and determine the greatest common factor.
- Identify the multiples of two whole numbers and determine the least common multiple.
- Generate equivalent numerical expressions using whole number exponents and prime factorization.
- Determine and use equivalent fractions to show equal parts of the same whole.
- Represent and compare benchmark fractions using models, including number lines.

- Order positive rational numbers in mathematical and real-world contexts.
- Compute products of fractions multiplied by whole numbers and fractions (including mixed numbers).
- Determine whether a quantity is increased or decreased when multiplied by a fraction greater than one or less than one.
- Compute quotients of fractions divided by whole numbers and fractions (including mixed numbers).
- Interpret quotients of fractions in real-world and mathematical problems.
- Solve real-world problems involving multiplication and division of fractions and mixed numbers using visual models.
- Recognize that dividing by a rational number and multiplying by its reciprocal result in equivalent values.
- Use an algorithm to fluently solve multiplication and division problems with fractions.



#### 6th Grade

Key vocabulary and spanish cognates

#### **NEW KEY TERMS**

- numeric expression [expresión numérica]
- · equation [ecuación]
- distributive property [propiedad distributiva]
- base [base]
- · power
- · exponent [exponente]
- common factor [factor común]
- · prime factorization
- relatively prime [primos relativos]
- greatest common factor (GCF)
- · multiple [múltiple]
- commutative property [propiedad conmutativa]
- least common multiple (LCM) [mínimo común múltiplo]
- unit fraction [fracción unitaria]
- equivalent fraction [fracción equivalente]
- · benchmark fractions
- · algorithm [algoritmo]
- positive rational number [número racional positivo]



# How do the activities in Factors and Multiples promote student expertise in the TEKS mathematical process standards?

Each topic is written with the goal of creating mathematical thinkers who are active participants in class discourse, so elements of the TEKS mathematical process standards should be evident in all lessons. Students are expected to make sense of problems and work toward solutions, reason using concrete and abstract ideas, and communicate their thinking while providing a critical ear to the thinking of others.

In Factors and Multiples, students begin by examining the problemsolving model (6.1B). They will continue to use this model throughout this course. As students continue in this topic, they use precise mathematical language and analyze mathematical relationships to connect and communicate mathematical ideas (6.1F). This topic provides students with formal language for previously learned concepts; this shared language will allow them to communicate more effectively (6.1G). Throughout the topic, students are encouraged to analyze relationships in numbers and shapes. This topic highlights the need for precision in explanations about and computation of fraction division. They will use a variety of strategies to build an understanding of fraction division and determine when each approach is most efficient (6.1C). Students should use reason to consider the relative sizes of numbers and to determine whether their answers make sense. It is important to develop students' disposition early in the course, encouraging them to self-ask, "How is this similar to another concept?" and "Does my answer make sense based on the information given?"





- reciprocal [reciproco]
- · multiplicative inverse
- complex fraction [fracción compleja]

#### **NEW SYMBOL**

Symbol	Description		
22	Multiplication dot		

#### How can you use cognates to support EB students?

Cognates are provided for new key terms when applicable.

Encourage students to keep a bilingual math journal, recording reflections and background knowledge on new topics, in either written or verbal format, with added visuals for clarity. Incorporate journal excerpts into a shared word wall or digital bilingual glossary, with a focus on highlighting cognates.

Math Symbols



# Step 2: Know your Destination

2

Know your destination.

#### **USE THE END OF TOPIC ASSESSMENT AND ANSWER KEYS**

Complete the End of Topic Assessment considering exemplar strategies. Note what critical knowledge and skills students should know and be able to do by the end of the topic, including examining the Texas Essential Knowledge and Skills (TEKS) and English Language Proficiency Standards (ELPS).

#### REFLECT

What models, strategies, or terminology are critical for student success on the assessment?



Name	Accessment		
1. Which statement shows the correct prime factorization for the number provided?  A. 100 = 2 · 5²  B. 60 = 3 · 4 · 5  C. 48 = 2² · 3²  2² · 3² = 4 · 9 = 36  2 and 3 are prime numbers.  2. Determine the unknown addend that makes the expression equivalent to 150.  15( 7 + 3)  15(10)  150  Date  3. Which two expressions each represent 5/1?  F. 5   11 and 5 ÷ 11  G. 11   5 and 11 ÷ 5  ★ H. 11   5 and 5 ÷ 11  J. 5   11 and 11 ÷ 5  ★ H. 11   5 and 5 ÷ 11  A. The product is greater than 8.  ★ B. The product is greater than 8.  ★ B. The product is between 1/3 and 8.  C. The product is less than 1/3.  D. The product is between 7 and 8.	Assessment	Torie 1 ractors and manapies	Notes
1. Which statement shows the correct prime factorization for the number provided?  A. 100 = 2 ⋅ 5²  B. 60 = 3 ⋅ 4 ⋅ 5  C. 48 = 2² ⋅ 3  ★ D. 36 = 2² ⋅ 3²  2² ⋅ 3² = 4 ⋅ 9 = 36  2 and 3 are prime numbers.  2. Determine the unknown addend that makes the expression equivalent to 150.  15( 7 + 3)  15(10)  150  3. Which two expressions each represent $\frac{5}{11}$ ?  F. 5 ∏ and 5 ÷ 11  G. 11   5 and 5 ÷ 11  J. 5   11 and 11 ÷ 5  ★ H. 11   5 and 5 ÷ 11  J. 5   11 and 11 ÷ 5  ★ B. The product is greater than 8.  ★ B. The product is greater than 8.  ★ B. The product is between $\frac{1}{3}$ and 8.  C. The product is less than $\frac{1}{3}$ .  D. The product is between 7 and 8.			Notes
factorization for the number provided?  A. 100 = 2 · 5²  B. 60 = 3 · 4 · 5  C. 48 = 2³ · 3  ★ D. 36 = 2² · 3² 2² · 3² = 4 · 9 = 36 2 and 3 are prime numbers.  2. Determine the unknown addend that makes the expression equivalent to 150.  15( 7	Name	Date	
A. 100 = 2 · 5²  B. 60 = 3 · 4 · 5  C. 48 = 2³ · 3  ★ D. 36 = 2² · 3²  2² · 3² = 4 · 9 = 36  2 and 3 are prime numbers.  2. Determine the unknown addend that makes the expression equivalent to 150.  15(		3. Which two expressions each represent $\frac{5}{11}$ ?	
B. $60 = 3 \cdot 4 \cdot 5$ C. $48 = 2^3 \cdot 3$ ★ D. $36 = 2^3 \cdot 3^2$ $2^3 \cdot 3^2 = 4 \cdot 9 = 36$ 2 and 3 are prime numbers.  2. Determine the unknown addend that makes the expression equivalent to 150.  15( $\overline{7} + 3$ )	<b>A.</b> $100 = 2 \cdot 5^2$	F. 5)11 and 5 ÷ 11	
<ul> <li>C. 48 = 2<sup>3</sup> · 3</li> <li>D. 36 = 2<sup>3</sup> · 3<sup>3</sup></li> <li>22 · 3<sup>3</sup> = 4 · 9 = 36</li> <li>2 and 3 are prime numbers.</li> <li>Determine the unknown addend that makes the expression equivalent to 150.</li> <li>15( 7 + 3)</li> <li>15(10)</li> <li>150</li> <li>A. The product is greater than 8.</li> <li>★ B. The product is between <sup>1</sup>/<sub>3</sub> and 8.</li> <li>C. The product is less than <sup>1</sup>/<sub>3</sub>.</li> <li>D. The product is between 7 and 8.</li> </ul>	<b>B.</b> $60 = 3 \cdot 4 \cdot 5$	1	
<ul> <li>★ D. 36 = 2² · 3² 2² · 3² = 4 · 9 = 36 2 and 3 are prime numbers.</li> <li>2. Determine the unknown addend that makes the expression equivalent to 150.</li> <li>15( 7 - 1)</li> <li>15(10)</li> <li>150</li> <li>4. Which statement about 8 multiplied by <sup>1</sup>/<sub>3</sub> must be true?</li> <li>A. The product is greater than 8.</li> <li>★ B. The product is between <sup>1</sup>/<sub>3</sub> and 8.</li> <li>C. The product is less than <sup>1</sup>/<sub>3</sub>.</li> <li>D. The product is between 7 and 8.</li> </ul>	<b>C.</b> $48 = 2^3 \cdot 3$		
2 and 3 are prime numbers.  2. Determine the unknown addend that makes the expression equivalent to 150.  15( 7 + 3)  15(10)  150  4. Which statement about 8 multiplied by ½ must be true?  A. The product is greater than 8.  ★ B. The product is between ⅓ and 8.  C. The product is less than ⅓.  D. The product is between 7 and 8.		J. 5)11 and 11 ÷ 5	
<ul> <li>2. Determine the unknown addend that makes the expression equivalent to 150.</li> <li>15( 7 + 3)</li> <li>15(10)</li> <li>150</li> <li>4. Which statement about 8 multiplied by <sup>1</sup>/<sub>3</sub> must be true?</li> <li>A. The product is greater than 8.</li> <li>★ B. The product is between <sup>1</sup>/<sub>3</sub> and 8.</li> <li>C. The product is less than <sup>1</sup>/<sub>3</sub>.</li> <li>D. The product is between 7 and 8.</li> </ul>			
15( 7 + 3)  15(7 + 3)  15(10)  150  A. The product is greater than 8.  ★ B. The product is between 1/3 and 8.  C. The product is less than 1/3.  D. The product is between 7 and 8.	Determine the unknown addend that		
15(7 + 3)  15(10)  150  ★ B. The product is between \(\frac{1}{3}\) and 8.  C. The product is less than \(\frac{1}{3}\).  D. The product is between 7 and 8.		A. The product is greater than 8.	
15(14) 15(10) C. The product is less than $\frac{1}{3}$ . D. The product is between 7 and 8.		★ B. The product is between $\frac{1}{2}$ and 8.	
D. The product is between 7 and 8.			
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3		D. The product is between 7 and 8.	
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3			
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3			
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3			
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3			
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3			
MODULE 1 + TOPIC 1 + END OF TOPIC ASSESSMENT 3			
MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3			
	MODU	LE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT 3	

#### End of Topic Assessment

#### TOPIC 1 Factors and Multiples

1. Which statement shows the correct prime factorization for the number provided?

**A.**  $100 = 2 \cdot 5^2$ 

**B.**  $60 = 3 \cdot 4 \cdot 5$ 

**C.**  $48 = 2^3 \cdot 3$ 

 $\bigstar$  D. 36 =  $2^2 \cdot 3^2$ 

2 and 3 are prime numbers.

 $2^2 \cdot 3^2 = 4 \cdot 9 = 36$ 

Determine the unknown addend that makes the expression equivalent to 150.

15( \_\_\_\_\_ +3)

15(7 + 3) 15(10)

150

Which two expressions each represent 5/18?

F. 5)11 and 5 ÷ 11

**G.** 11  $\overline{)5}$  and 11  $\div$  5

★ H. 11 )5 and 5 ÷ 11

J. 5 )11 and 11 ÷ 5

 Which statement about 8 multiplied must be true?

A. The product is greater than 8.

★ B. The product is between ½ and 8.

**C.** The product is less than  $\frac{1}{2}$ .

D. The product is between 7 and 8.

Notes

#### 1 Factors and Multiples

#### **Number and Operations**

The student is expected to:

6.2D order a set of rational numbers arising from mathematical and real-world contexts.

6.2E extend representations for division to include fraction notation such as a/b represents the same number as a ÷ b where b ≠ 0.

6.3A recognize that dividing by a rational number and multiplying by its reciprocal result in equivalent values. 1 DAY PACING = 45-MINUTE SESSION

6.3B determine, with and without computation, whether a quantity is increased or decreased when multiplied by a fraction, including values greater than or less than one.

6.3E multiply and divide positive rational numbers fluently.

Proportionality

 Review the Topic Assessment for your grade level

 Review the Topic Assessment Scoring Guide

tions and percents such as 1%, tiples of these values using ms, number lines, and numbers.

ns, and Relationships

rical expressions using order nole number exponents and 6.5C use equivalent fractions, decimals, and percents to show equal parts of the same whole.

6.8D determine solutions for problems involving the area of rectangles, parallelograms, trapezoids, and triangles and volume of right rectangular prisms where dimensions are positive rational numbers.

o./U generate equivalent expressions using the properties of operations: inverse, identity, commutative, associative, and distributive properties.

Question Number	TEKS*	Point Value	Scoring Guidance	
1	6.7A	1	The student selects the correct answer. (1 point) The student does not select the correct answer. (0 points)	
2	6.7D	1	The student correctly writes the answer on the line. (1 point) The student incorrectly writes the answer on the line. (0 points)	
3	6.2E	1	The student selects the correct answer. (1 point) The student does not select the correct answer. (0 points)	
4	6.3B	1	The student selects the correct answer. (1 point) The student does not select the correct answer. (0 points)	
5	6.3A	1	The student selects the correct answer. (1 point) The student does not select the correct answer. (0 points)	
6	6.5C	2	The student selects both correct answers. (2 points) The student selects one correct answer. (1 point) The student does not select any correct answers. (0 points)	

\*Bold TEKS = Readiness Standard

(A) (B) (B)

MODULE 1 • TOPIC 1 • END OF TOPIC ASSESSMENT







	Response to Student Performance			
TEKS*	Question(s)	Recommendations		
6.2D	8	To support students:  Review ordering rational numbers.  Use Skills Practice Set IV.A for additional practice.  Review Lesson 4 Assignment Practice Question 15.		
6.2E	3	To support students:  Review ordering rational numbers.  Use Skills Practice Set VI.A for additional practice.  Review Lesson 6 Assignment Practice Questions 2 and 3.		
6.3A	5	To support students:  Review dividing by rational numbers and multiplying by reciprocals  Use Skills Practice Set VI.B for additional practice.  Review Lesson 6 Assignment Practice Question 1.		
6.3B  4  To support students:  • Review what happens to a quantity when multiplied by a fraction.  • Use Skills Practice Set V.D for additional practice.  • Review Lesson 5 Assignment Practice Questions 1-8.				

 Utilize the Response to student performance document to select instructional materials for the learning individual days

\*Bold TEKS = Readiness Standard

	Response to Student Performance			
TEKS*	Question(s)	Recommendations		
6.8D	10	To support students:  Review the area of a rectangle.  Use Skills Practice Set I.A for additional practice.		

**NOTE:** Both teachers and administrators should refer to the Assessment Guidance and Analysis section of the Course and Implementation Guide for additional support in analyzing and responding to student data.

\*Bold TEKS = Readiness Standard

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	TS

		Response to Student Performance
TEKS*	Question(s)	Recommendations
	9	To support students:  Review multiplication of positive rational numbers.  Use Skills Practice Sets V.A, V.B, and V.C for additional practice.  Review Lesson 5 Assignment Practice Questions 1-8.  To challenge students:  Extend student knowledge with the Skills Practice Extension Set V.
	11	To support students:  Review division of positive rational numbers.  Use Skills Practice Sets VI.A and VI.C for additional practice.  Review Lesson 6 Assignment Practice Questions 1-3.  To challenge students:  Extend student knowledge with the Skills Practice Extension Set VI.
6.4F	7	<ul> <li>To support students:</li> <li>Review benchmark fractions and percents.</li> <li>Use Skills Practice Sets III.A and IV.B, IV.C, IV.D, and IV.E for additional practice.</li> <li>Review Lesson 3 Assignment Practice Questions 1-3 and Lesson 4 Assignment Practice Questions 1-16.</li> <li>To challenge students:</li> <li>Extend student knowledge with the Skills Practice Extension Sets III and IV.</li> </ul>
6.5C	6	To support students:  Review equivalent fractions, decimals, and percents.  Use Skills Practice Set III.B for additional practice.  Review Lesson 3 Assignment Practice Questions 4-7.
6.7A	1	To support students:  Review least common multiple, greatest common factor, and prime factorization.  Use Skills Practice Sets II.A, II.B, II.C, and II.F for additional practice.  Review Lesson 2 Assignment Practice Questions 1-4.  To challenge students:  Extend student knowledge with the Skills Practice Extension Set II.
6.7D	2	To support students:  Review properties of operations.  Use Skills Practice Sets I.A, I.B, I.C, I.D, and II.D for additional practice.  Review Lesson 1 Assignment Practice Questions 1-6.  To challenge students:  Extend student knowledge with the Skills Practice Extension Set I.









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#### Grade 1 1st Math Eng

Fernando Rosa

TEKS RS Mathematics Grade 1 (0/16)

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#### Grade 2 2nd Math

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TEKS RS Mathematics Grade 2 (0/12)

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#### Grade 3 3rd Math

Fernando Rosa

TEKS RS Mathematics Grade 3 (0/15)

Created: 1/3/2025

#### Grade 4

#### 4th Math Eng

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TEKS RS Mathematics Grade 4 (1/13)

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#### Grade 9

Alg I

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TEKS RS Mathematics Algebra I (4/12)

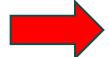
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TEKS RS Mathematics Grade 5 (0/13)

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#### Grade 7 Class A

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TEKS RS Mathematics Grade 7 (0/12)

#### Grade 6 Class A



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#### Grade 8



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TEKS RS Mathematics Grade 8 (0/12)

#### System Links

Assessments

Glossary

**Revision Notes** 

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25/26

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25-26 Sample ISD Calendar

July 2025

SAT

10 16

22 23 24 25 21







Feedback



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#### Class A

**Current Unit** 

TEKS RS Mathematics Grade 7

All Units / Modules



Resources

Year at a Glance

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01 02 03 04 05 06 07 80 09 10 11 12 Next TEKS RS Unit 01: Number and Operations





Class A

TEKS RS Mathematics Grade 7

Current Unit All Units / Modules Year at a Glance Resources

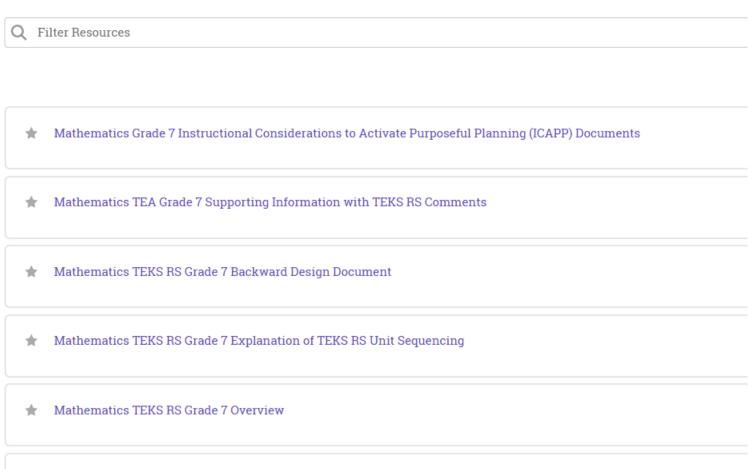
★ ⑤ Settings

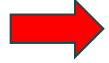
	Filter Resources			C	+	Web I	Link
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•	Mathematics Resources: Grade 7	TCMPC	Course		*	$\Box$	
	Mathematics Resources: K-HS	TCMPC	Course		*		Ŵ
	☐ Mathematics Resources: Texas Education Agency	TCMPC	Course		*		ŵ
		TCMPC	Unit / Module 01		*	$\Box$	
		TCMPC	Unit / Module 02		*		





#### Mathematics Resources: Grade 7





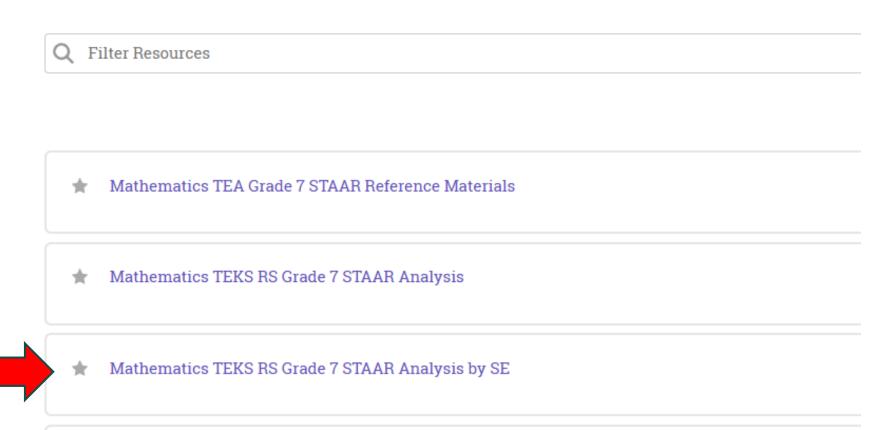
★ Mathematics TEKS RS Grade 7 STAAR Resources







#### Mathematics TEKS RS Grade 7 STAAR Resources







Mathematics TEKS RS Grade 7 STAAR Analysis 2015-202	24 - 7.10.E
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★ Mathematics TEKS RS Grade 7 STAAR Analysis 2015-2024 - 7.10.C

mathematics TEKS RS Grade 7 STAAR Analysis 2015-2024 - 7.11.A



★ Mathematics TEKS RS Grade 7 STAAR Analysis 2015-2024 - 7.11.B

★ Mathematics TEKS RS Grade 7 STAAR Analysis 2015-2024 - 7.11.C

★ Mathematics TEKS RS Grade 7 STAAR Analysis 2015-2024 - 7.12.A





STAAR® Test	Graue / M		Item#	28	Conten	SE	7.11B		SE Tyre	Supporting
Administration	Spring 2024	Reporting C	ate <sub>b</sub> acy	2	Process	St	Not Deput	ted	Unit (IFL)	02, 11

28

Determine whether each equation is true or not true when m = -5.

Select the correct answer in each row.

Equation	True	Not True
4m - 6 = 14		
-2m + 7 = 17		
4 <i>m</i> - 6 = -26		
-2m + 7 = -3		





**SP - Skill Practice** 

L1 – Lesson 1

Assn Q1 – Assignment Question

# **End of Topic** Assessment

### TOPIC 1 Factors and Multiples

Name Date 1. Which statement shows the correct prime

- A.  $100 = 2 \cdot 5^2$
- B.  $60 = 3 \cdot 4 \cdot 5$
- C.  $48 = 2^3 \cdot 3$
- **L2 Assn Q 1-4**

SP - II A,B,C, F

6.7A (R.)

1 pt.

- + D.  $36 = 2^2 \cdot 3^2$ 
  - $2^2 \cdot 3^2 = 4 \cdot 9 = 36$

2 and 3 are prime numbers.

factorization for the number provided?

2. Determine the unknown addend that makes the expression equivalent to 150.

15(7 + 3)

15(10)

150

SP - II D

L1 – Assn Q 1-6

6.7D (R.)

1 pt.

- 3. Which two expressions each represent 3?
  - F. 5 111 and 5 ÷ 11
  - G. 11 15 and 11 ÷ 5
- J. 5 11 and 11 ÷ 5

- - 6.2E (S.) 1 pt.
- SP VI A
- L6 Assn Q 2-3
- 4. Which statement about 8 multiplied by must be true?
  - A. The product is greater than 8.
- ★ B. The product is between <sup>1</sup>/<sub>2</sub> and 8.
  - C. The product is less than 1.
  - L5 Assn Q 1-8 D. The product is between 7 and o

1 pt.

6.3B (S.)

SP - V D





# From STAAR Review



L1 - Lesson 1

Assn Q1 – Assignment Question 1

# TOPIC 1 Factors and Multiples

 Chloe has <sup>7</sup>/<sub>8</sub> yard of spirit ribbon to make hair bows for her friends. It takes <sup>1</sup>/<sub>12</sub> yard to make each hair bow. Chloe will use the following expression to calculate the number of hair bows that she can make from <sup>7</sup>/<sub>8</sub> yard spirit ribbon.

$$\frac{7}{8} \div \frac{1}{12}$$

Which expression can also be used to calculate the number of hair bows that can be made from  $\frac{7}{8}$  yard of spirit ribbon?

F. 
$$\frac{8}{7} \cdot \frac{1}{12}$$

**G.** 
$$\frac{8}{7} \cdot \frac{12}{1}$$

H.  $\frac{7}{8} \cdot \frac{1}{12}$ 

6.3A (S.)

1 pt.

SP - VB

**L6 – Assn Q 1** 



You can divide fractions by multiplying by the reciprocal.  Select TWO fractions that are equivalent to <sup>2</sup>/<sub>8</sub>.

6.5C (S.)

2 pts.

$$\bigstar$$
 A.  $\frac{7}{28}$ 

B.  $\frac{4}{32}$ 

C.  $\frac{4}{10}$ 

D.  $\frac{6}{12}$ 

★ E.  $\frac{3}{12}$ 

$$\frac{2}{8} = \frac{2 \div 2}{8 \div 2} = \frac{1}{4}$$

$$\frac{7}{28} = \frac{7 \div 7}{28 \div 7} = \frac{1}{4}$$

$$\frac{3}{12} = \frac{3+3}{12+3} = \frac{1}{4}$$





**SP - Skill Practice** 

L1 - Lesson 1

Assn Q1 – Assignment Question 1

OPIC 1	Fact	tors	and	Mul	tip	es

Which of the models represent the benchmark fraction <sup>1</sup>/<sub>4</sub>?

Model	1/4	A fraction other than $\frac{1}{4}$
	There are 100 boxes and 25 of them are shaded. $\frac{25}{100} = \frac{25 \div 25}{100 \div 25} = \frac{1}{4}$	
		There are 6 boxes and 2 of them are shaded. $\frac{2}{6} = \frac{2+2}{6+2} = \frac{1}{3}$
1 1		The point is on the first of three equal parts between 0 and 1.
	There are 8 boxes and 2 of them are shaded. $\frac{2}{8} = \frac{2+2}{8+2} = \frac{1}{4}$	
0 1	The point is on the first of four equal parts between 0 and 1.	



6.4F (S.) 2 pt.





**SP - Skill Practice** 

L1 - Lesson 1

Assn Q1 – Assignment Q1

## TOPIC 1 Factors and Multiples





Order the numbers from least to greatest.

$$\frac{7}{5}$$
,  $\frac{1}{16}$ ,  $1\frac{1}{8}$ ,

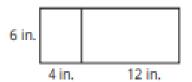
 $\frac{1}{16}$ ,  $\frac{7}{12}$ ,  $1\frac{1}{8}$ ,  $\frac{7}{5}$ 

Calculate the product. Write your answer in lowest terms.

$$\frac{8}{9} \cdot 2\frac{4}{7}$$

$$\frac{8}{9} \cdot 2\frac{4}{7} = \frac{8}{8} \cdot \frac{\cancel{18}}{7} = \frac{16}{7} = 2\frac{2}{7}$$

Use the diagram to answer the question.





Determine the area of the rectangle in square inches.

6.8D (R.)

$$6(4) + 6(12)$$

$$24 + 72$$

96

2 pts.

The area of the entire rectangle is 96 in.2.

11. Mia has 6 teaspoons of salt. She puts <sup>1</sup>/<sub>4</sub> teaspoon of salt in each batch of blueberry muffins that she makes. How many batches of muffins can Mia make?

$$6 \div \frac{1}{4} = 6 \cdot \frac{4}{1} = 6 \cdot 4 = 24$$

SP – VI A, C

Mia can make 24 batches of muffins.

L6 - Assn Q 1-3





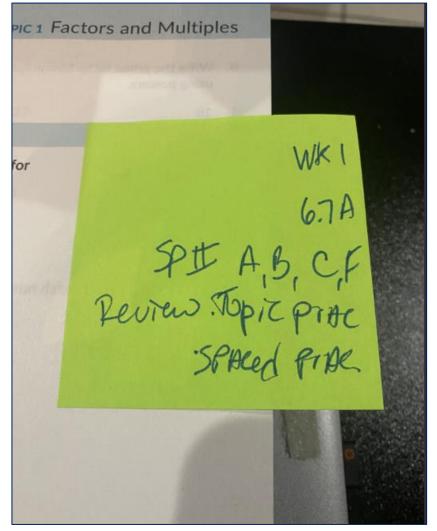
# Check List for the Internalization Process

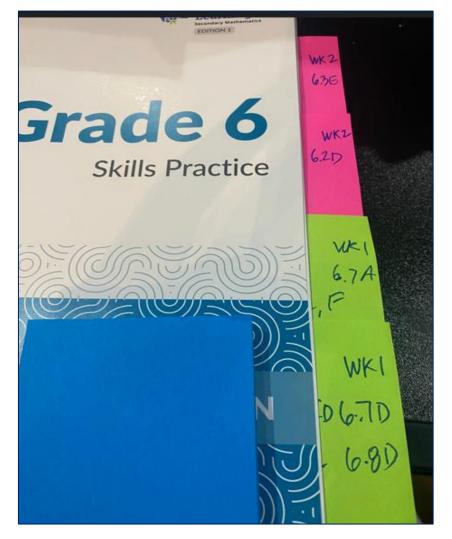
- 1) Read, highlight and annotate the module & topic overviews 🗸
- 2) Review the YAG, pacing guide & annotate any time stamps 🔍
- 3) Review the topic assessment, scoring guide & response to student performance documents
- 4) On the topic assessment, annotate the TEKS, (R or S), pts, skill practice and lesson assignment
- 5) Use TCMPC to make the STAAR connection & rank the items level of importance  $(\lor)$ ,  $(\lor\lor)$  or  $(\lor\lor\lor)$ .
- 6) In the skill practice book, select the exercises and problem sets that student will work on during the learning individually days
- 7) Review the Talk the Talk Activity or select STAAR exit tickets for students to complete after the lesson.
- 8) Prep for lesson delivery (Slide decks, gather materials, etc...)













#### **TOPIC 1 OVERVIEW**

#### **Factors and Multiples**

#### How are the key concepts of Factors and Multiples organized?

Students begin the topic with an introductory lesson on problem solving. They will use this model throughout the course when solving problems. Students then extend their knowledge of area and numbers to compose and decompose areas that represent numeric expressions. They decompose numbers into factors and apply the distributive property to compute products efficiently. Students use the distributive property to express the sum of two numbers as a product of two factors. They then use their knowledge of factors to determine the greatest common factors and least common multiples.

Students continue to engage in reasoning as they create and use physical models to represent and compare fractions as well as to determine equivalent fractions. They begin moving from concrete models to abstract thinking

when they connect strip diagrams to numbe fractions. Students reason about the relative it to a benchmark fraction and investigating numerator and denominator. Students then of area models that represent fraction multiplic and division before investigating strategies fruitiple division strategies and using visual reasoning and conceptual understanding as third fractions.

#### Math Representation

The model shows  $\frac{3}{4} \div \frac{1}{4}$ .

The division expression asks, "How many  $\frac{1}{4}$ s are in  $\frac{3}{4}$ ?"

Although algorithms for fraction multiplication this topic, students may not achieve fluency this topic. Fluency requires time and practice develop fluency with fraction operations through the students of t

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#### MODULE 1, TOPIC 1 PACING GUIDE

165-Day Pacing

#### 1 DAY PACING = 45-MINUTE SESSION

Day 1	Day 2	Day 3	Day 4	Day 5
TEKS: 6.7D	TEKS: 6.7D, 6.8D	TEKS: 6.7A, 6.8D		
Introduction to the Problem-Solving Model and Lesson Resources GETTING STARTED ACTIVITY 1 TALK THE TALK	LESSON 1 Writing Equivalent Expressions Using the Distributive Property GETTING STARTED ACTIVITY 1 TALK THE TALK	LESSON 2 Identifying Common Factors and Common Multiples GETTING STARTED ACTIVITY 1 ACTIVITY 2	LESSON 2 continued ACTIVITY 3 ACTIVITY 4 TALK THE TALK	LEARNING INDIVIDUALLY Skills Practice This is a suggested placement. Move based on student data and individual needs.
Day 6	Day 7	Day 8	Day 9	Day 10
TEKS: 6.4F, 6.5C  LESSON 3  Dividing a Whole into Fractional Parts GETTING STARTED ACTIVITY 1  TALK THE TALK	TEKS: 6.2D, 6.4F  LESSON 4  Benchmark Fractions GETTING STARTED ACTIVITY 1  ACTIVITY 2  TALK THE TALK	TEKS: 6.38, 6.3E  LESSON 5  Multiplying Fractions GETTING STARTED ACTIVITY 1	LESSON 5 continued ACTIVITY 2 TALK THE TALK	LEARNING INDIVIDUALLY Skills Practice This is a suggested placement. Move based on student data and individual needs.
Day 11	Day 12	Day 13	Day 14	Day 15
TEKS: 6.2E, 6.3A, 6.3E  LESSON 6  Fraction by Fraction  Division  GETTING STARTED  TALK THE TALK	LESSON 6 continued ACTIVITY 2 ACTIVITY 3	LESSON 6 continued ACTIVITY 4 TALK THE TALK	LEARNING INDIVIDUALLY Skills Practice This is a suggested placement. Move based on student data and individual needs.	END OF TOPIC ASSESSMENT

\*Bold TEKS = Readiness Standard



# Step 3: Examine the Arc of Learning

STEP 3

Examine the arc of learning.

#### USE THE MODULE OVERVIEW, TOPIC OVERVIEW, AND ASSESSMENT

Analyze the big ideas for each lesson to understand how knowledge and skills build over the topic, including any necessary prior knowledge students may need to successfully engage with the mathematics in the topic. Examine and develop familiarity with mathematical strategies required in the topic.



Consider and be ready to share:

How does the math in the arc of learning
move from simple to complex?



Turn to the Lesson 1 begining page for your grade level

6<sup>th</sup> – Pg 5A

7<sup>th</sup> - Pg 5A

8<sup>th</sup> Pg. 5A

# 1

# Writing Equivalent Expressions Using the Distributive Property

Setting the Stage

- Communicate the objectives and new key terms to look for.
- Tap into your students' prior learning by reading the narrative statement.
- Provide a sense of direction by reading the Essential Question.

Key vocabulary

(O) H ((Q (U (A U (P))) H (O) H ((Q (U (A U (P))) H (C)

#### **OBJECTIVES**

- Write, read, and evaluate equivalent numeric expressions.
- Identify the adjacent side lengths of a rectangle as factors of the area value.
- Identify parts of an expression, such as the product and the factors.

Mrite equivalent numeric supressions for the cross of a rectangle by decomposing one side length into the sum of two or more numbers.

two factors.

You know how to add, subtract, multiply, and divide numbers using different strategies. Taking apart numbers before you perform a mathematical operation can highlight important information or make calculations easier.

How can taking apart numbers help you to express number sentences in different ways?

Sample answer:

There are many ways to rewrite equivalent expressions using properties. The distributive

property of multiplication over addition states that for any numbers, a, b, and c,

a(b+c)=ab+ac.

Model and explain the distributive property



MODULE 1 • TOPIC 1 • LESSON 1 5

**NEW KEY TERMS** 

numeric expression

· distributive property

equation



Problem Solving Model & Process

Pg. IL – 1A

**Big Book TE** 

6<sup>th</sup> Gr - Internalization Exemplar

http://bit.ly/47i0hrh





#### **Chunking the Activity**

- Read and discuss the situation.
- Have students complete Question 1 individually.
- · Check in and share.
- Have students complete Questions 2 and 3 individually.
- Share and summarize.

**NOTE:** This is the first lesson where TEKS 6.1A is highlighted.

**NOTE:** This is the first lesson where TEKS 6.1D is highlighted.

 Read and display TEKS 6.1D and explain that in this activity students are communicating mathematical ideas and reasoning using diagrams and language.

#### **Getting Started**

## Ask student to read the problem

Sofia is building a rectangular walkway up to her house. The width of the walkway is 5 feet, and the length is 27 feet. She needs to calculate the area of the walkway to determine the amount of materials needed to build it.

 Mark and label two different ways you could divide an area model to determine the area of the walkway.

Sample answer:

Ask Yourself . . .

How can you

rectangles in

everyday life?

Ask Yourself . . . How does

multiple ways help

to communicate

reasoning?

representing mathematics in

use the area of

 20
 7

 5
 100
 35

	2	25
5	10	125

Model one way to develop the area model Students practice another way & share with their learning partner

3. What is the total area of the walkway?

135 square feet

Share the solution and student check their responses

@ 00

STRONG FOUNDATIONS
Implementation



# Internalization Process

# 1.1

#### Connecting Area Models and the **Distributive Property**

Chunking the Activity

The numeric expression of 5 · 27 represents the area of the walkway from the Getting Started. A numeric expression is a mathematical phrase that contains numbers and operations.

The equation  $5 \cdot 27 = 135$  shows that the expression  $5 \cdot 27$  is equal to the expression 135.

An equation is a mathematical sentence that uses an equals sign to show that two or more quantities are the same as one another.

1. Reflect on the different ways you can rewrite the product of 5 and 27. Select one of your area models to complete the example.

Sample answers:

How did you split the side length of 27?

 $5 \cdot 27 = 5(25 + 2)$ 

What are the factors of each smaller region?

 $= (5 \cdot 25) + (5 \cdot 2)$ 

What is the area of each smaller region?

= 125 + 10

= 135 What is the total area?

#### 1) Ask student to read about a numeric expression

to represent the operation of

......

 Read and discuss the introduction.

2) Ask student to read about an equation

Read and discuss

3) Turn and talk with a partner to show how they are the same and different

What are other wavs vou could split one of the

factors a corre equation?

What would the equation look like if you split one of the factors into more than two regions?

· Check in and share.

· Read and discuss the

4) Model problem #1

Questions 3-5.

· Share and summarize.



The definitions provide an opportunity for explicit instruction. Interact with this information as a class and encourage students to restate or explain the information in their own words.



MODULE 1 • TOPIC 1 • LESSON 1 7



#### Optimizing Learning

This activity supports decoding of text. mathematical notation. and symbols.

Question 1 presents an opportunity to assess students' understanding of the essential content of the lesson. Use student responses to determine when to schedule Learning Individually Days. To provide additional practice rewriting products using the distributive property assign Skills Practice Set A for this lesson.

NOTE: This is the first lesson where TEKS 6.1C is highlighted.

 Read and display TEKS 6.1C and explain that in this activity students select tools including mental math and number sense to solve problems.





Internalization process



The definition and Worked Example provide an opportunity for explicit instruction. Interact with this information as a class and encourage students to restate or explain the information in their own words.

Question 3 presents an opportunity to assess students' understanding of the essential content of the lesson. Use student responses to determine when to schedule Learning Individually Days. To provide additional practice with determining unknown addends, assign Skills Practice Set A for this lesson.

5) Sts review the definition & worked example on the distributive property & explain it to their learning partner

6) Teacher clarifies as needed

TRONG FOUNDATIONS **Implementation** 

You just used the distributive property!

The distributive property, when applied for multiplication, states that for any numbers a, b, and c, the equation a(b + c) = ab + ac is true.



2. Explain the distributive property using the area model shown.

Sample explanation:

The area of the whole rectangle is equal to a(b + c), because a is the width and b + c is the length. The area of the smaller rectangle is  $a \cdot b$  and the area of the larger rectangle is  $a \cdot c$ . The sum of those areas, ab + ac, is equal to the area of the whole rectangle, a(b + c).

#### WORKED EXAMPLE

Consider this example of the distributive property.

 $4(2+15) = 4 \cdot 2 + 4 \cdot 15$ 

You can read and describe the expression 4(2 + 15) in different ways. For example, you can say:

- . "four times the quantity of two plus fifteen".
- . "four times the sum of two and fifteen", or
- . "the product of four and the sum of two and fifteen".

You can describe the expression 4(2 + 15) as a product of two factors. The quantity (2 + 15) is both a single factor and a sum of two terms.

3. Fill in the missing addend in each box that makes the equation true.

a. 7(3 + 10) = 21 + 70

b. 3 (12 + 15) = 36 + 45

c. 8(2 + 7) = 16 + 56

d. 5 (6 + 9 ) = 30 + 45

8 MODULE 1 • TOPIC 1 • LESSON 1

You can also

use grouping

symbols to show

that you need to

multiply each set of factors before

you add them,

 $(4 \cdot 2) + (4 \cdot 15).$ 



#### EB STUDENT TIP .....

For "Advanced" and "Advanced High" proficiency levels

Remind students to refer to the Academic Glossary to review the definition of describe and related phrases. Suggest they ask themselves these questions:

- . How should I organize my thoughts?
- · Did I consider the context of the situation?

#### EB STUDENT TIP .....

For "Advanced" and "Advanced High" proficiency levels

Have students differentiate between the terms expression and equation.

Have students share the similarities and differences between expressions and equations. Then, ask them to provide additional examples of each.

8 MODULE 1 • TOPIC 1 • LESSON 1





Internalization process  Rewrite a factor as the sum of two terms in each equation and us the distributive property to verify each product.

# 7) Students practice with a partner in completing 4 A,B,C



- a.  $4 \cdot 17 = 68$  b.  $9 \cdot 34 = 306$  Sample answer: 4(10 + 7) = 68 9 \cdot 34 = 306
  40 + 28 = 68 9(30 + 4) = 306
  68 = 68 270 + 36 = 306
  306 = 306
  - Sample answer:  $3 \cdot 29 = 87$  3(20 + 9) = 87 60 + 27 = 8787 = 87
- Identify each statement as true or false. If the statement is false, show how you could rewrite it to make it a true statement.
- a. True False 3(2 + 4) = 3 · 2 + 4 False; 3(2 + 4) = 3 · 2 + 3 · 4
- b. True False  $6(10 + 5) = 6 \cdot 10 + 6 \cdot 5$ True
- c. True False 7(20 + 8) = 7 + 20 · 8 False; 7(20 + 8) = 7 · 20 + 7 · 8
- d. True False 4(5 + 10) = 20 + 10False;

$$4(5+10)=20+40$$

e. True False 2(6 + 11) = 12 + 22 True

#### Ask Yourself . . .

What tools or strategies can you use to solve this problem?

Questions 4 and 5 present an opportunity to assess students' understanding of the essential content of the lesson. Use student responses to determine when to schedule Learning Individually Days. To provide additional practice using the distributive property to decompose expressions, assign Skills Practice Set C. To provide additional practice identifying equivalent expressions, assign Skills Practice Set D.

(A) (B) (B)

MODULE 1 • TOPIC 1 • LESSON 1 9



Internalization Process



#### **Chunking the Activity**

- Group students to complete the activity.
- · Share and summarize.
- Have students answer the Essential Question on the lesson opener.

#### Optimizing Learning

This activity optimizes relevance, value, and authenticity.



8) Students complete the Talk the Talk or Exit Ticekt A or Exit Ticket B or both

#### The Floor Is Yours

6<sup>th</sup> Grade Math Readiness Standard Category 1

40

#### Exit Ticket A

6.7D # 8Z

Shea wrote the expression 5(y + 2) + 4 to show the amount of money five friends paid for snacks at a baseball game. Which expression is equivalent to the one Shea wrote?

- **F** 5+y+5+2+4
- **G**  $5 \cdot y \cdot 5 \cdot 2 + 4$
- $H 5 \cdot y \cdot 4 + 5 \cdot 2 \cdot 4$
- $\mathbf{J} \quad 5 \cdot y + 5 \cdot 2 + 4$

9) Teacher walks around monitoring and assisting students as needed.



Which two expressions are equivalent?

- 9(6+x) $9 \cdot 6 + 9 \cdot x$
- **G**  $x + (8 \cdot 9)$   $(x + 8) \cdot 9$
- H 8⋅6÷x 8⋅x÷6
- **J**  $6 \cdot x + 3$   $6 \cdot (x + 3)$

6.7D # 52W

50

+ 34 + 10) = 50

10) Teacher shares solutions and does a formative check. Thumbs up (both correct), thumb sideways (1 correct) or

ed the length of thumbs down (none correct).

erent sizes for each activity.

34

de the area for playing volleyball the largest, 50 feet by eet.

de the area for playing dodgeball, 50 feet by 34 feet, close to the same size as the volleyball area but a bit smaller.

 I made the smallest area of the gym, 50 feet by 10 feet, for playing board games or reading since those are activities that require less movement.



## Lesson 1 Assignment



#### Write

Explain the distributive property in terms of composing and decomposing numbers.

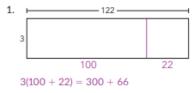
#### Remember

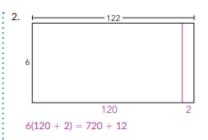
There are many ways to rewrite equivalent expressions using properties. The distributive property of multiplication over addition states that for any numbers a, b, and c, a(b+c)=ab+ac.

#### Practice

Decompose each rectangle into two or three smaller rectangles to demonstrate the distributive property. Then, write each area in the form a(b + c) = ab + ac.

Sample answers:







6(200 + 40 + 4) = 1200 + 240 + 24

#### Write

Sample explanation: When you have a rectangle that is composed of two smaller rectangles,

# **Good STAAR Connections**

 $a \cdot b + a \cdot c$ , where a and b are the dimensions of one rectangle and a and c are the dimensions of the second rectangle. This area is equal to the area of the large rectangle, determined by multiplying the shared side length times the sum of the two other side lengths, or a(b + c).



# Lesson 1 Assignment

$$4.6(12+4)$$

$$= 6 \cdot 12 + 6 \cdot 4$$

$$= 72 + 24$$

5. 
$$10 + 4(2 + 20)$$

$$= 4 \cdot 2 + 4 \cdot 20 + 10$$

$$= 8 + 80 + 10$$

6. 
$$7(4 + 19)$$

$$= 7 \cdot 4 + 7 \cdot 19$$

$$= 28 + 133$$

#### Prepare

 In the array of numbers shown, circle the prime numbers, cross out the composite numbers, and use a box to identify any number that is neither prime nor composite.











11













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Implementation